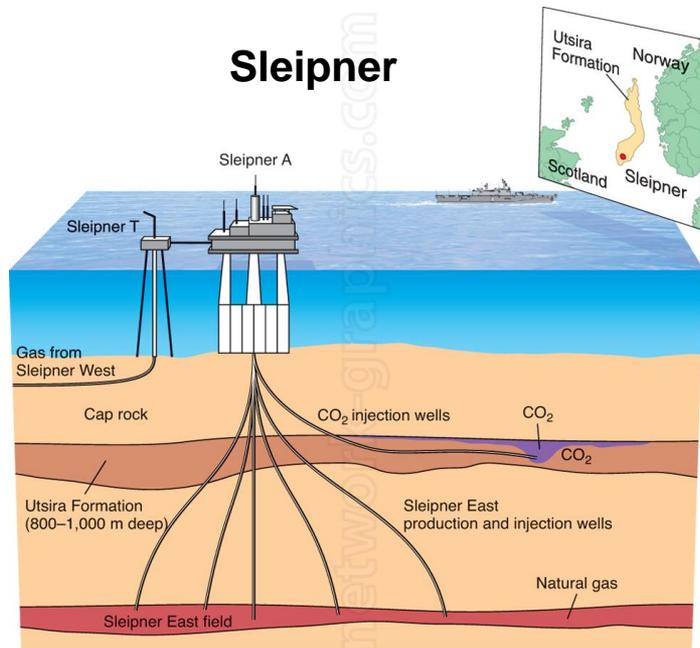


# Impact of rock structure heterogeneity on residual trapping: Which structures and scales are most important?

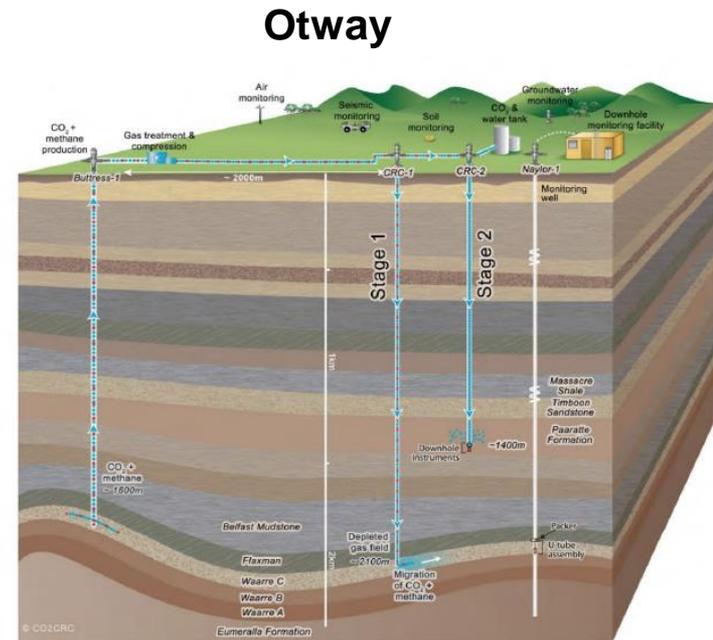
Maartje Boon, Cindy Ni and Sally Benson

# Can CO<sub>2</sub> be safely stored in an extensively faulted heterogeneous formation?

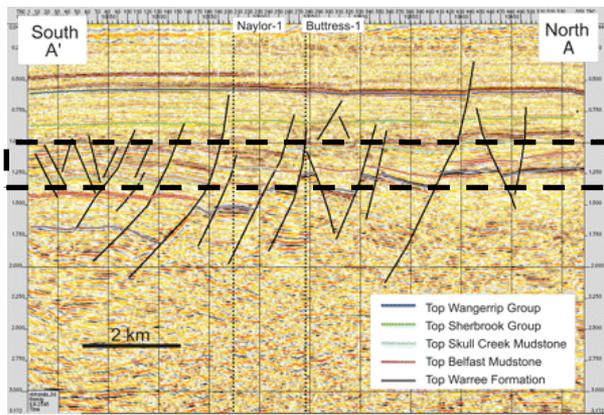
Conventional sites with a perfect seal can safely store CO<sub>2</sub> :



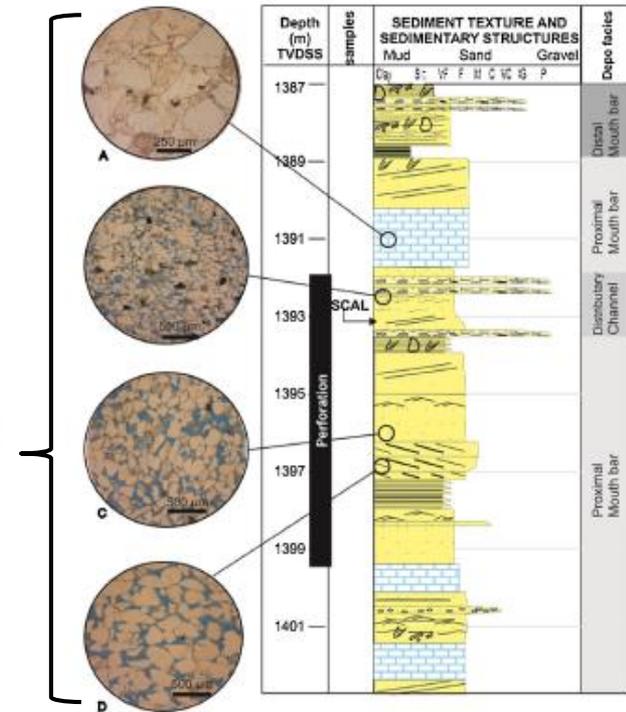
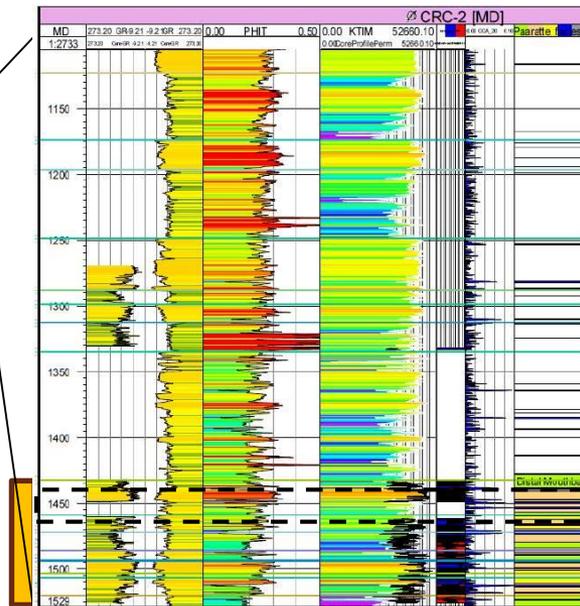
Can we rely on secondary trapping mechanisms to safely store CO<sub>2</sub> at unconventional sites?



# What is the impact of faults, stratigraphy, mineralogy on CO<sub>2</sub> sequestration?



100 m core sequence  
CRC-2 CRC-3 →

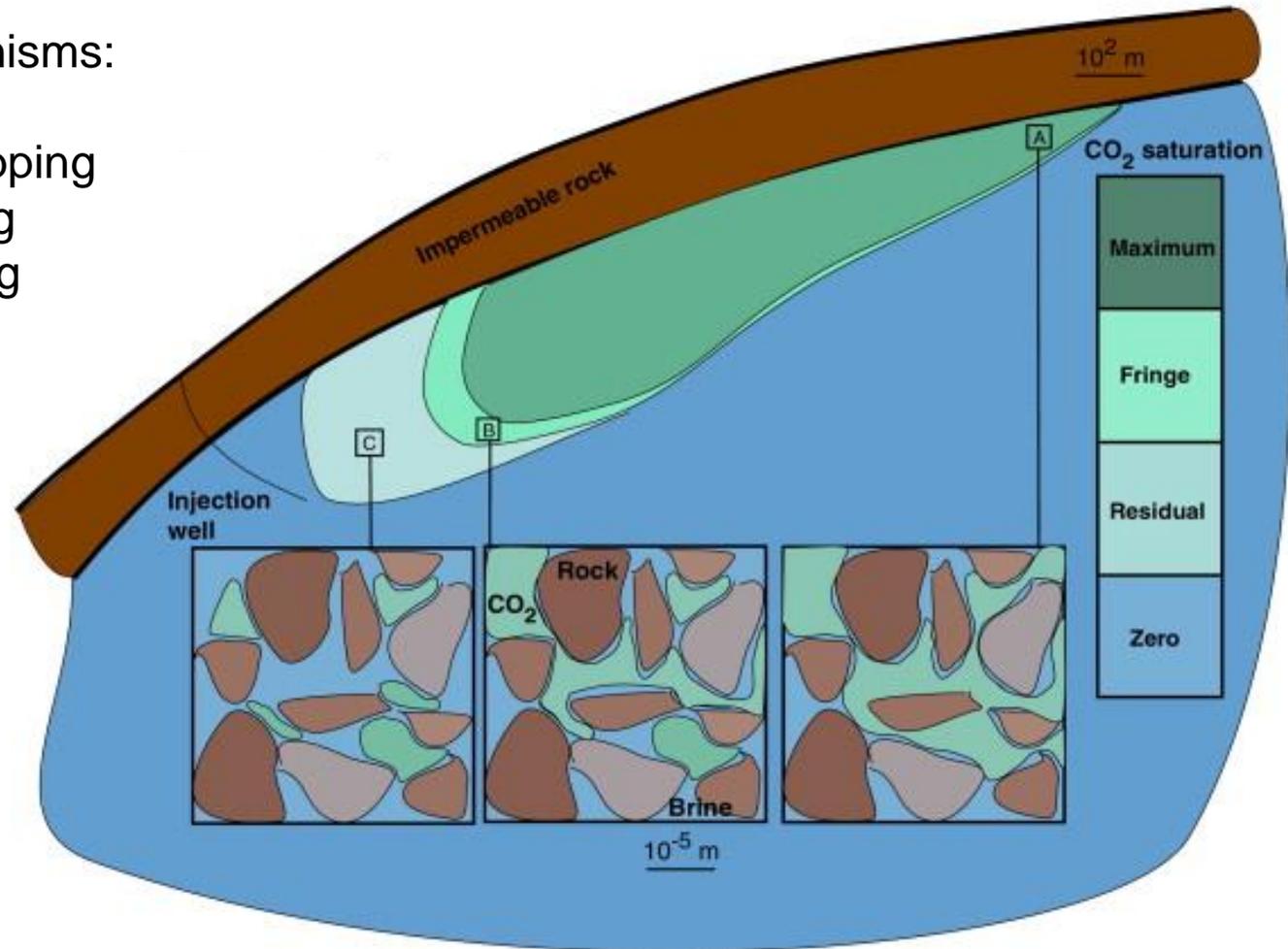


Which structures and scales are most important for the different trapping mechanisms?

# Can we rely on secondary trapping to safely store CO<sub>2</sub> at unconventional sites?

CO<sub>2</sub> trapping mechanisms:

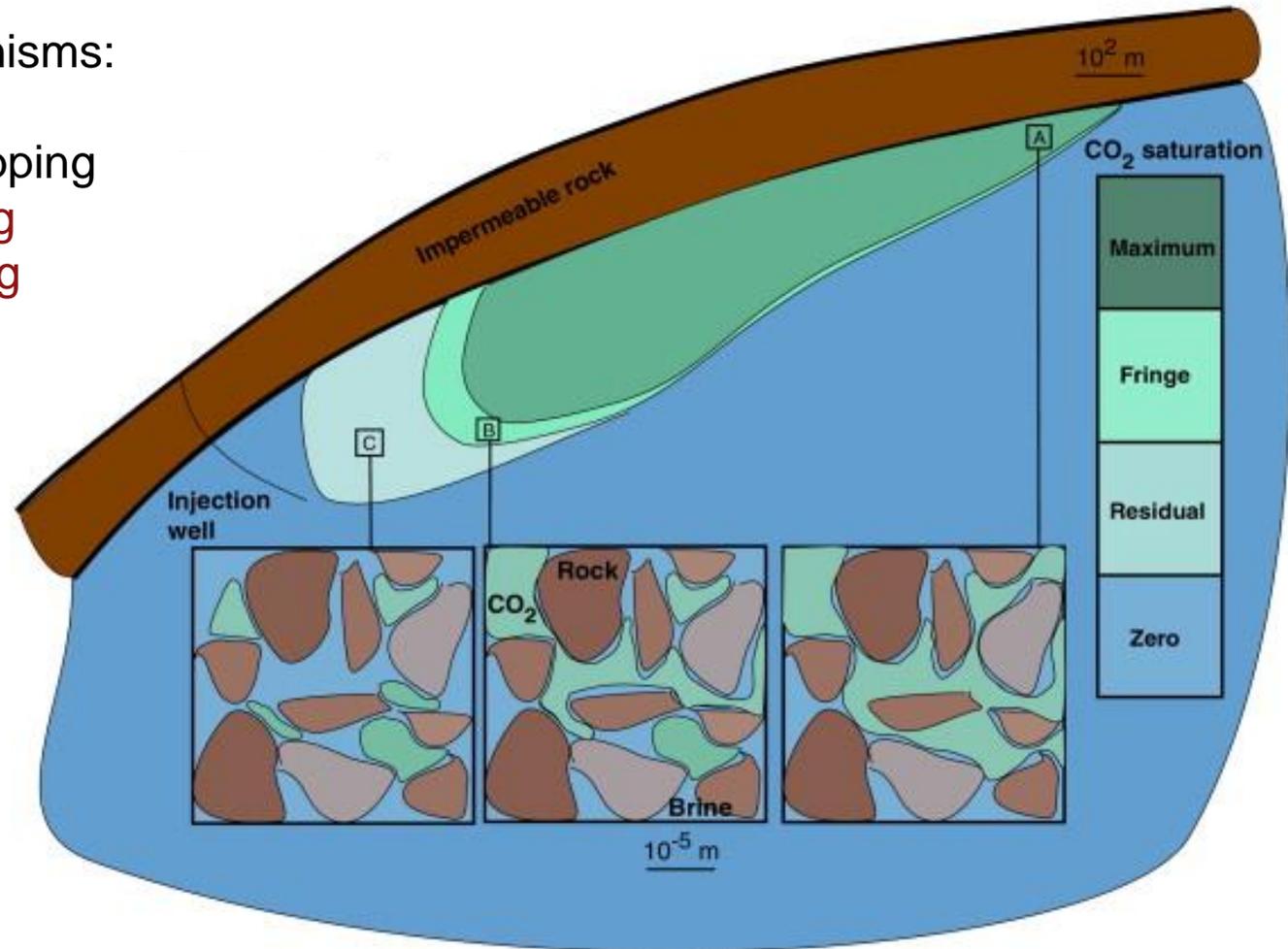
1. Stratigraphic trapping
2. Residual trapping
3. Solubility trapping
4. Mineral trapping



# Can we rely on secondary trapping to safely store CO<sub>2</sub> at unconventional sites?

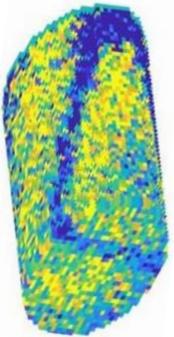
CO<sub>2</sub> trapping mechanisms:

1. Stratigraphic trapping
2. Residual trapping
3. Solubility trapping
4. Mineral trapping



To model secondary trapping you need to take small scale heterogeneity into account:

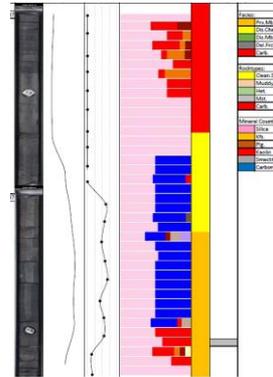
Voxel scale



Core scale



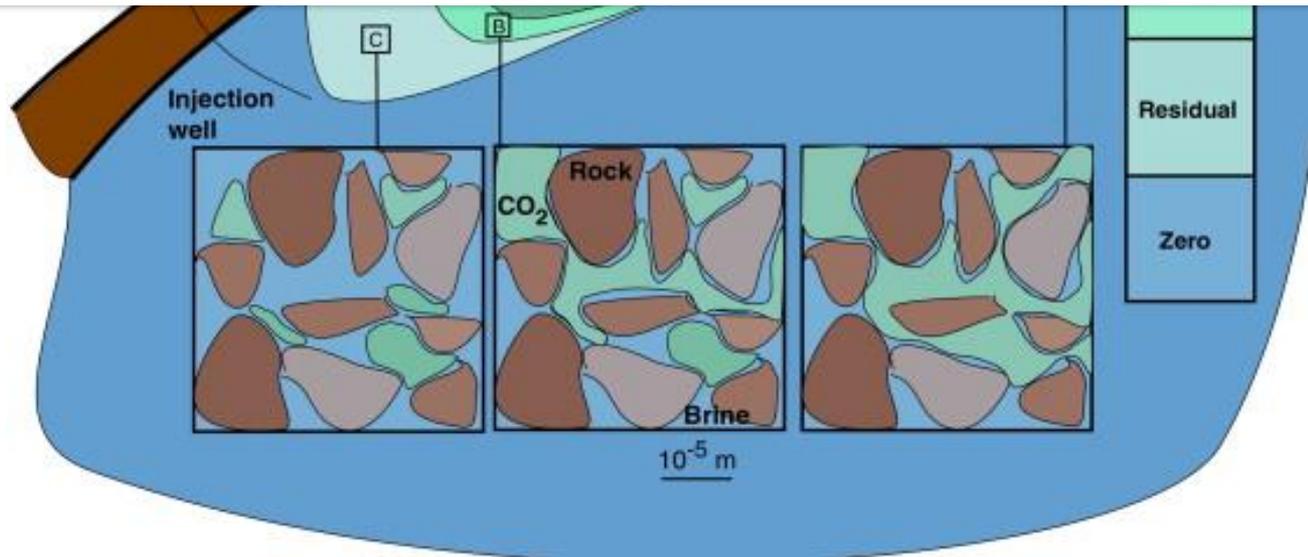
Log scale



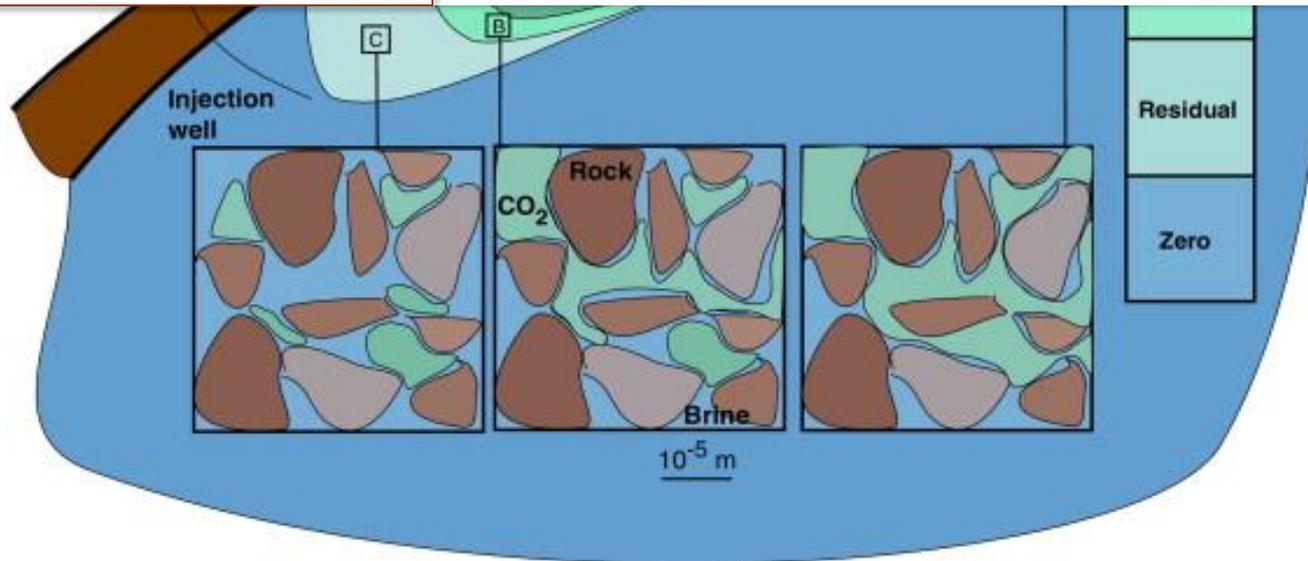
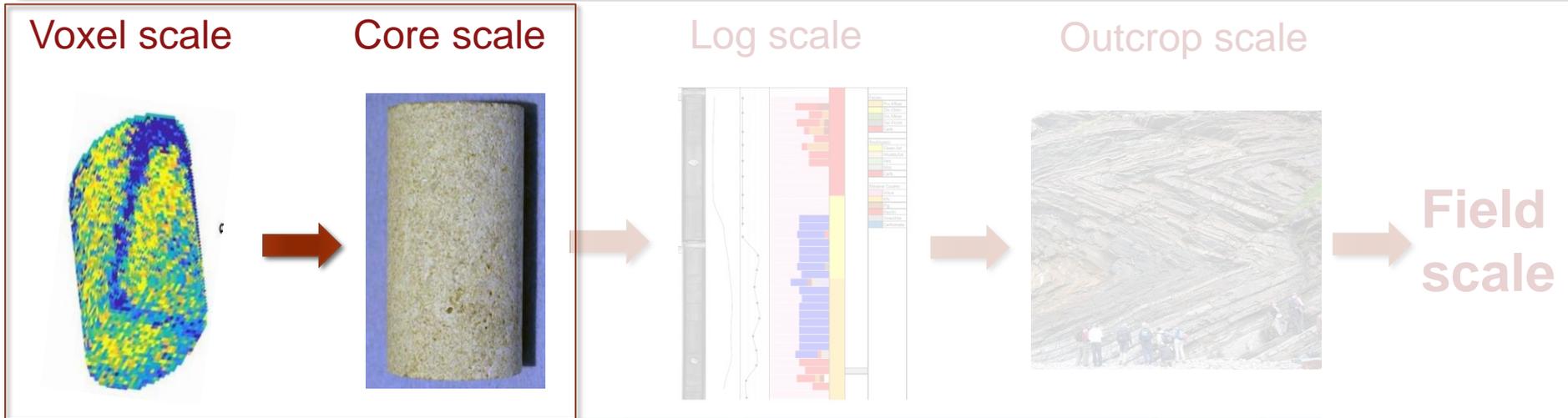
Outcrop scale



Field scale



To model secondary trapping you need to take small scale heterogeneity into account:



Question:

How does capillary heterogeneity at the subcore scale impact the CO<sub>2</sub> saturation distribution during injection?

## CO<sub>2</sub> saturation distribution depends on viscous, capillary and gravitational forces

- Viscous forces depend on the injection rate and viscosity of the fluids.
- Capillary forces are a result of gradients in capillary pressure caused by variations in rock structure.
- Gravitational forces can lead to gravity segregation between fluids if the density difference is large.

# CO<sub>2</sub> saturation distribution depends on viscous, capillary and gravitational forces

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- Capillary forces are a result of gradients in capillary pressure caused by variations in rock structure.
- Gravitational forces can lead to gravity segregation between fluids if the density difference is large.

# The capillary number gives the ratio of viscous to capillary forces

The capillary number ( $N_c$ ) is commonly used to determine the state of a system:

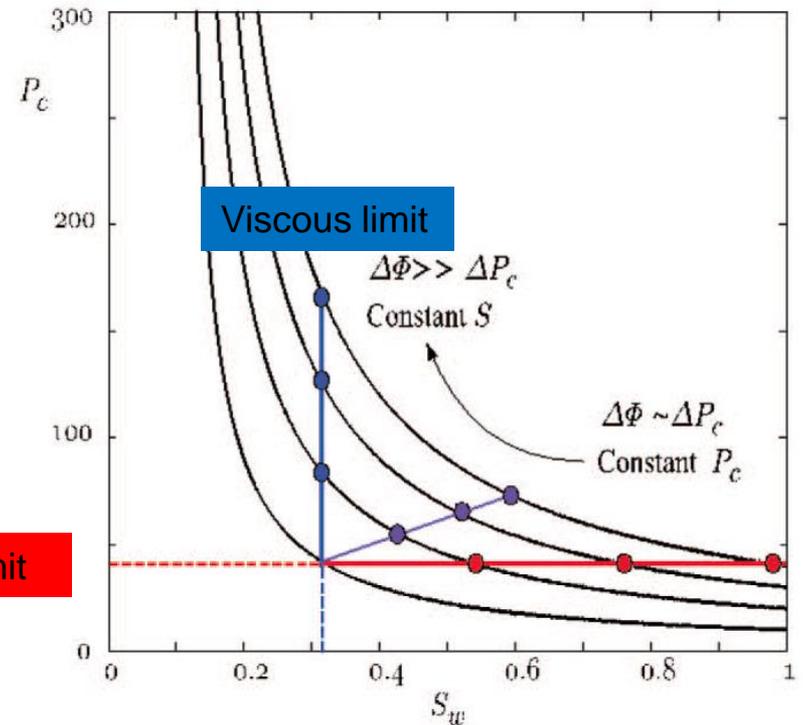
$$N_c = \frac{v\mu}{\sigma}$$

$v$  = Darcy velocity ( $\text{m s}^{-1}$ )

$\mu$  = Viscosity ( $\text{Pa s}$ )

$\sigma$  = Interfacial tension ( $\text{N m}^{-1}$ )

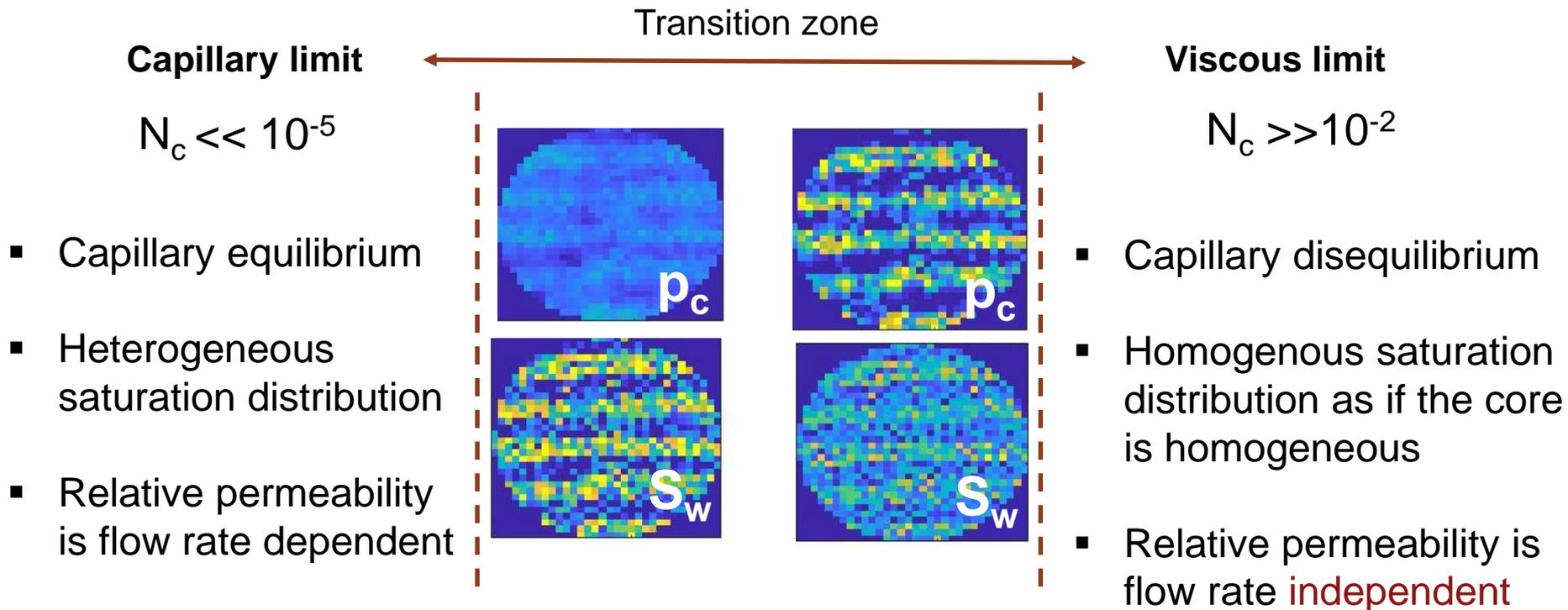
Capillary limit



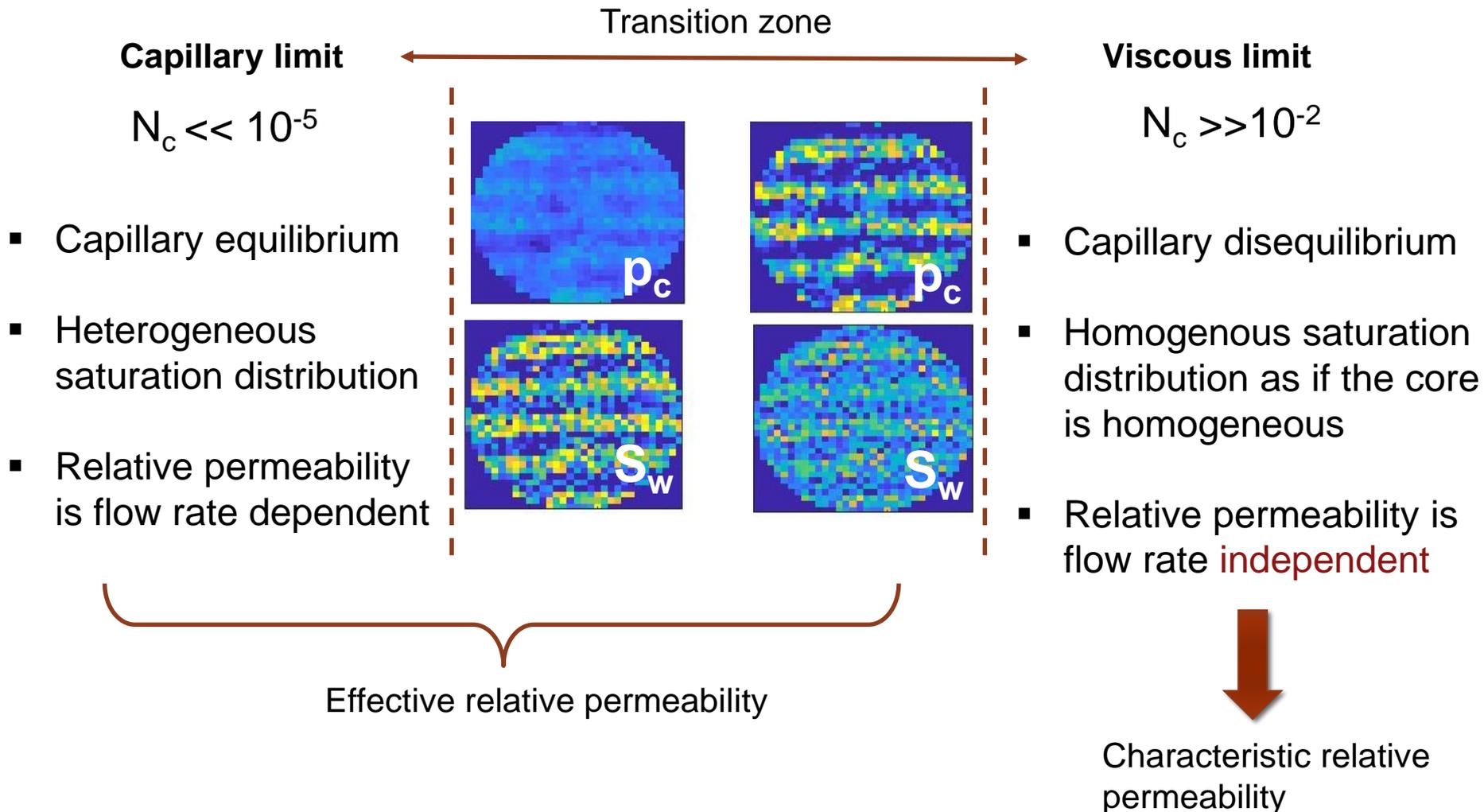
$N_c \ll 10^{-5}$  = capillary dominated regime

$N_c \gg 10^{-2}$  = viscous dominated regime

# The saturation distribution impacts the relative permeability



# The saturation distribution impacts the relative permeability



# The saturation distribution impacts the relative permeability

## Capillary limit

$$N_c \ll 10^{-5}$$

Flow rates are low in the case of CO<sub>2</sub> injection (capillary dominated regime):

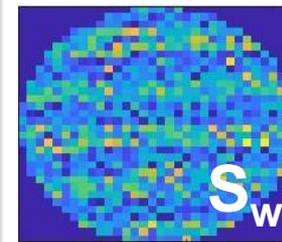
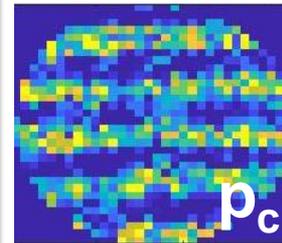
- Capillary equilibrium
  - Experiments take a long time
  - Rel perm curve changes for different conditions so many experiments are needed
- Heterogeneous saturation distribution

Solution:

1. Use experiment in capillary dominated regime to create a subcore scale absolute permeability map.
2. Use numerical model to simulate core-flood test at different conditions.

Effective relative permeability

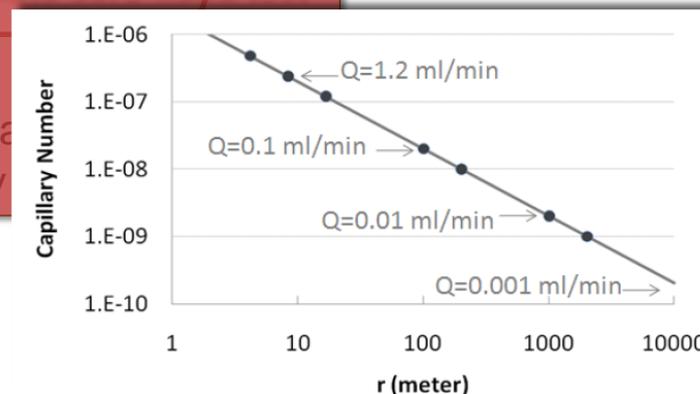
Transition zone



## Viscous limit

$$N_c \gg 10^{-2}$$

- Capillary disequilibrium
- Homogenous saturation distribution as if the core is homogeneous
- Relative permeability is flow rate independent



Characteristic relative permeability

# Experimental core-flood tests

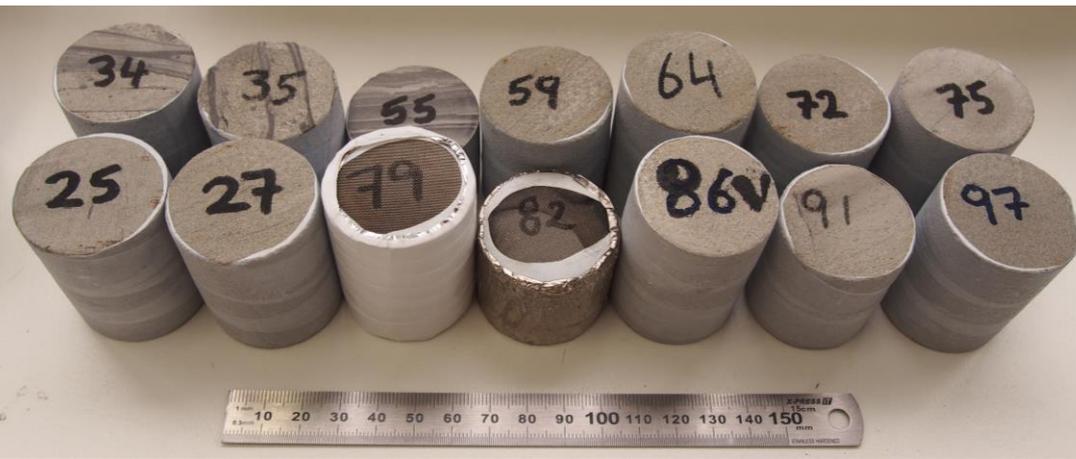
# Experimental set up used at Stanford to measure multiphase flow parameters

We will measure:

- Absolute permeability
- Porosity
- Capillary pressure (MICP)
- Irreducible gas saturation (trapping)
- Relative permeability (drainage and imbibition)



It takes ~1 week per core to complete an experiment !



# Experimental set up used at Stanford to measure multiphase flow parameters

We will measure:

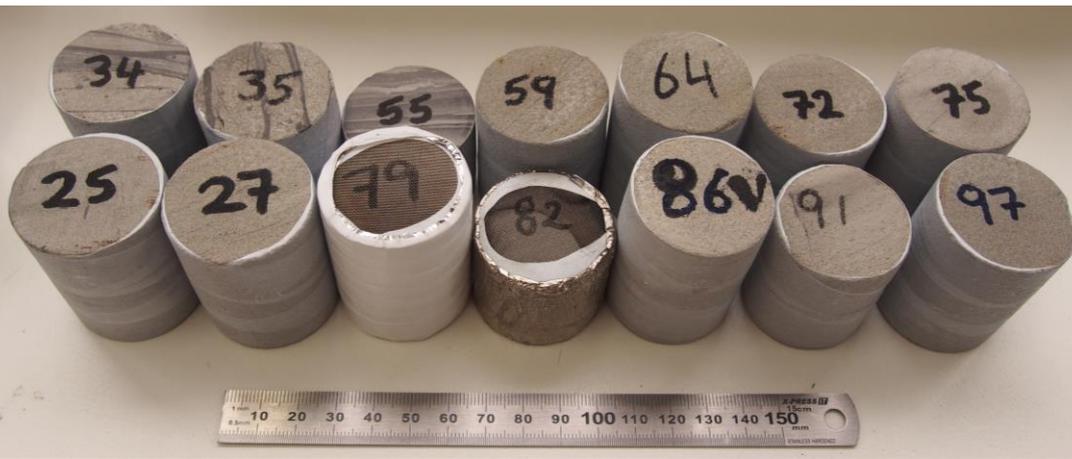
- Absolute permeability
- Porosity
- Capillary pressure (MICP)
- Irreducible gas saturation (trapping)
- Relative permeability (drainage and imbibition)

↳ **Are flow rate dependent!**

Rock properties – not dependent on flow conditions



It takes ~1 week per core to complete an experiment !

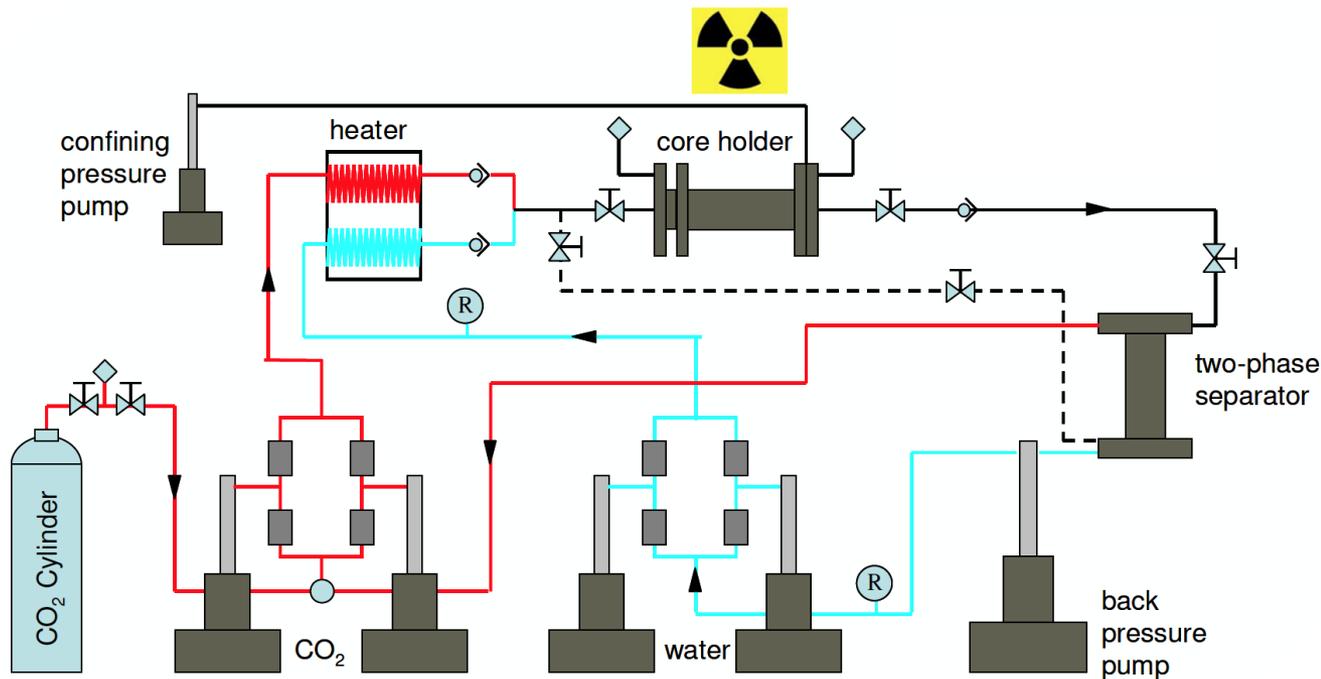


# Experimental procedure

CO<sub>2</sub> and water are co-injected into an initially water saturated core at reservoir conditions (high P, high T) and constant flow rate.

1. Drainage: stepwise increase  $f_{\text{CO}_2}$  to 100% → initial CO<sub>2</sub> saturation
2. Imbibition: stepwise increase  $f_{\text{H}_2\text{O}}$  to 100% → residual CO<sub>2</sub> saturation

A medical X-ray CT scanner is used to measure the CO<sub>2</sub> saturation once steady state is reached after each stepwise increase.

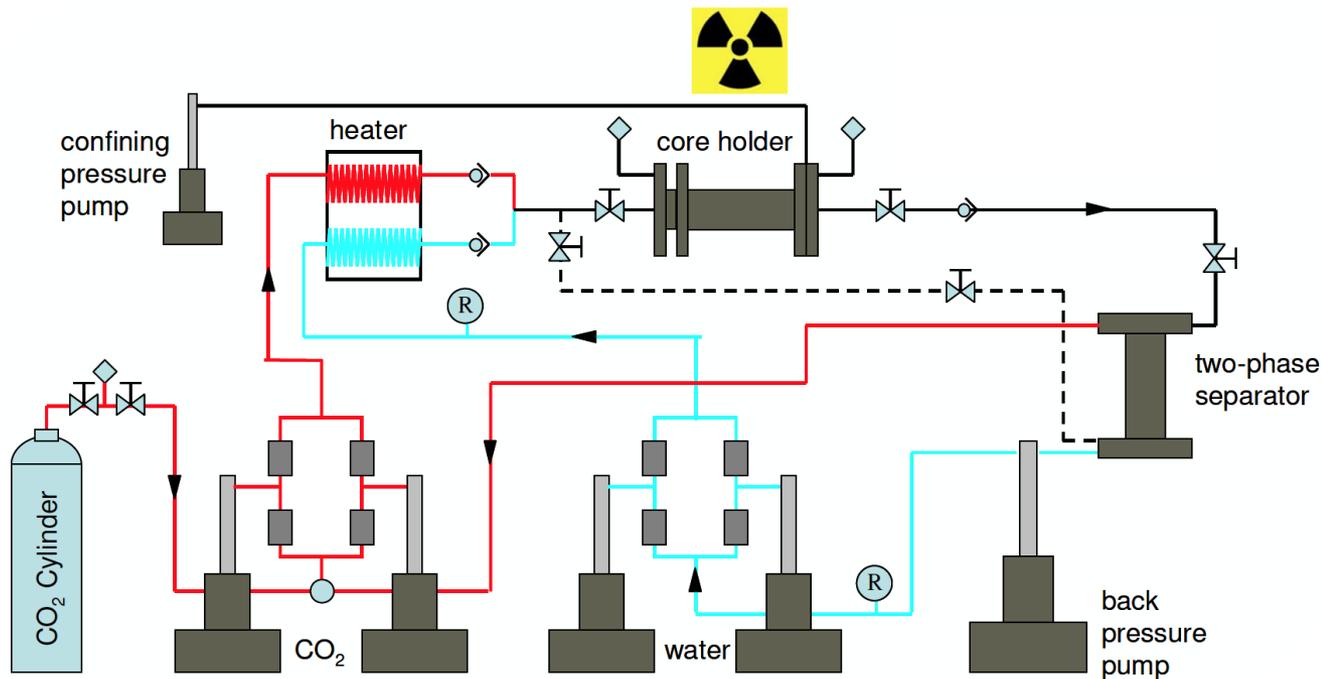


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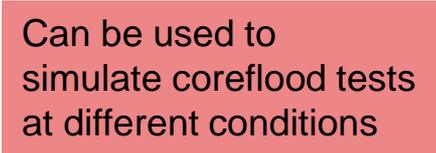
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# Numerical core-flood tests

## Numerical simulations are used to:

- Obtain the subcore scale permeability field of the rocks used in the experiments.
- Obtain characteristic relative permeability curves of the rocks used in the experiments
- Look at the impact of different types of heterogeneity on capillary forces.



Can be used to simulate coreflood tests at different conditions

# Method to obtain subcore scale absolute permeability field:

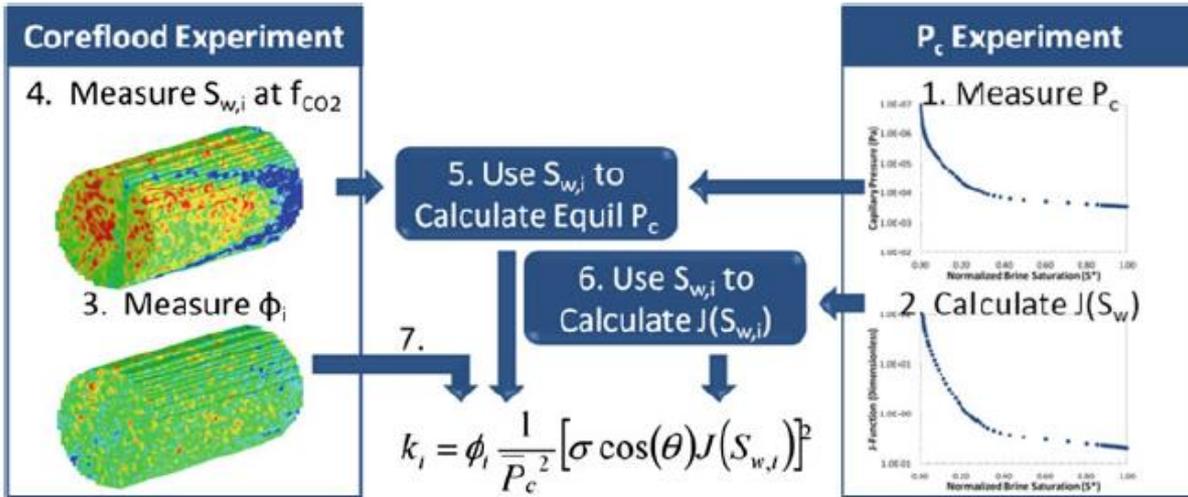


Fig. 1 Workflow of the permeability calculation procedure with steps numbered in order

## Assumption:

- Capillary equilibrium at the voxel scale

## Input:

- Water saturation distribution
- Porosity distribution
- Capillary pressure curve (MICP)
- Characteristic rel. perm. curve

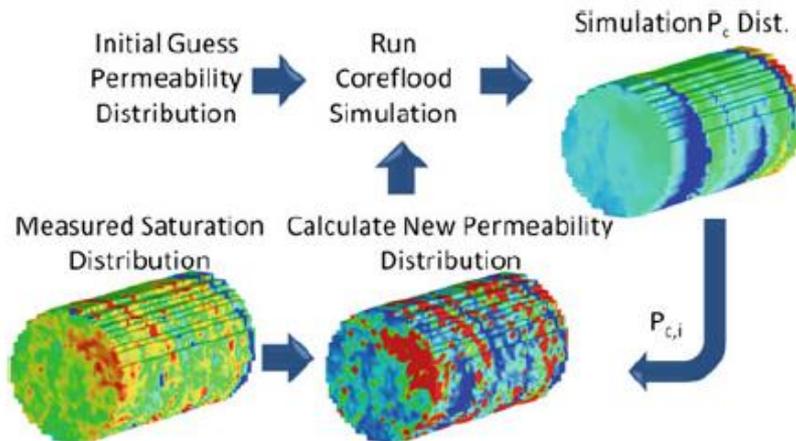
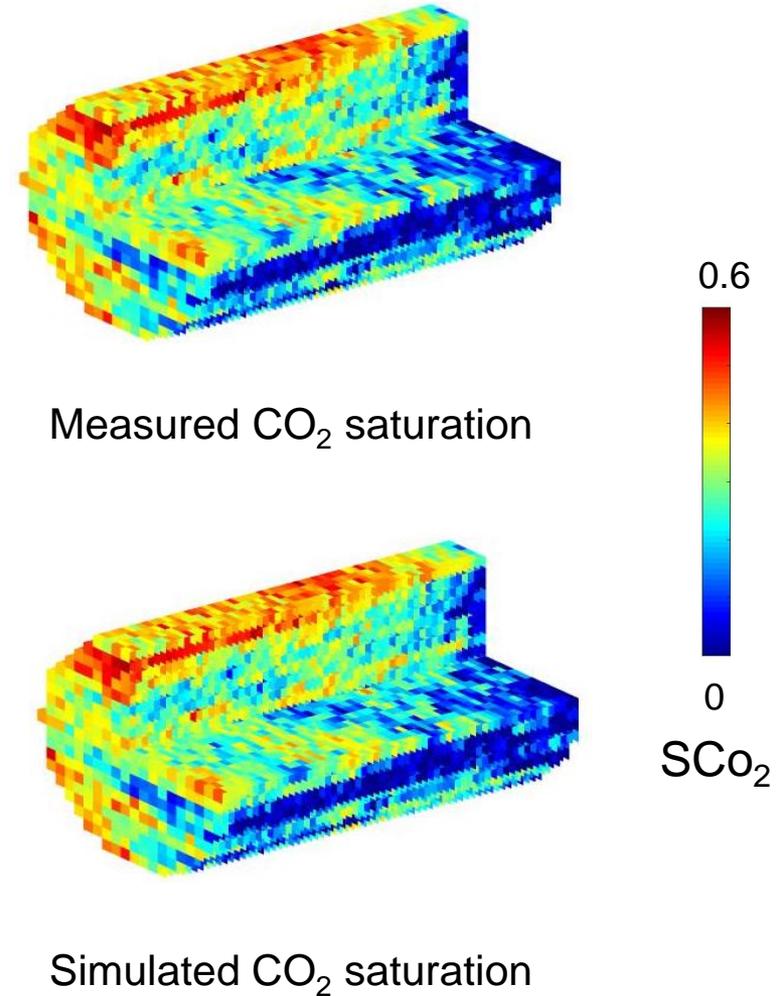
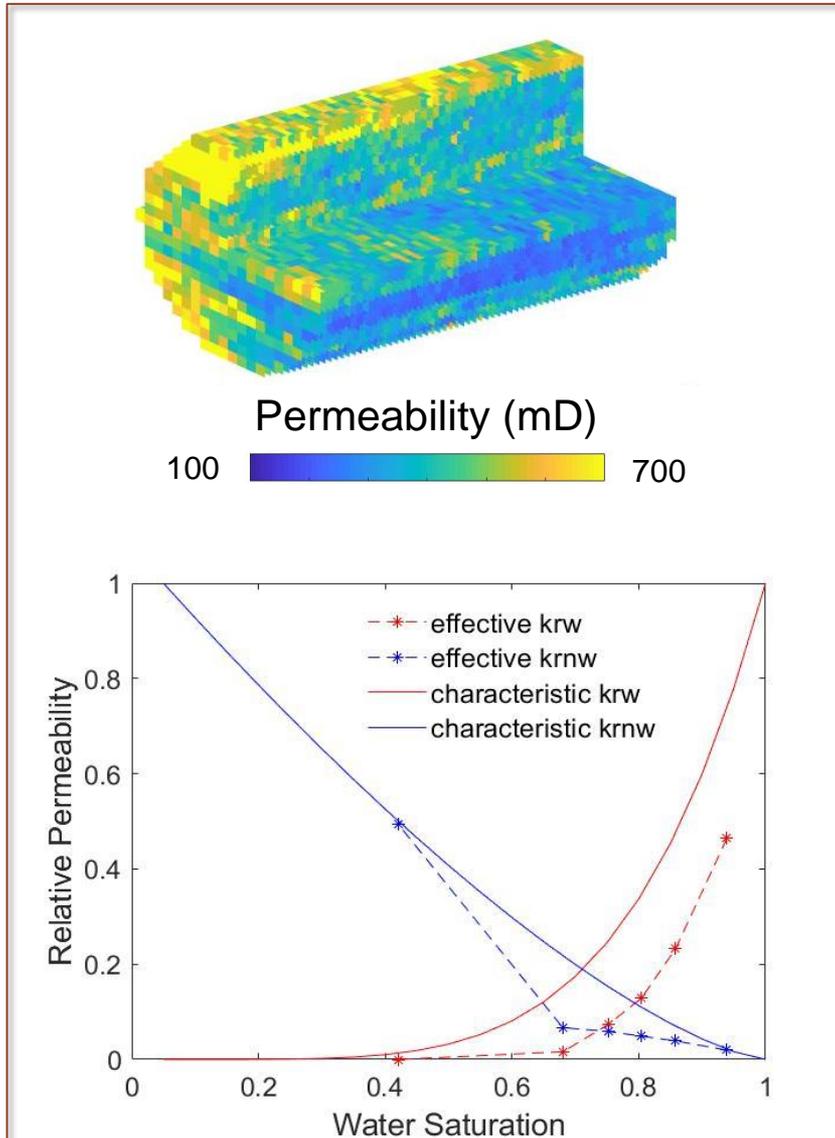


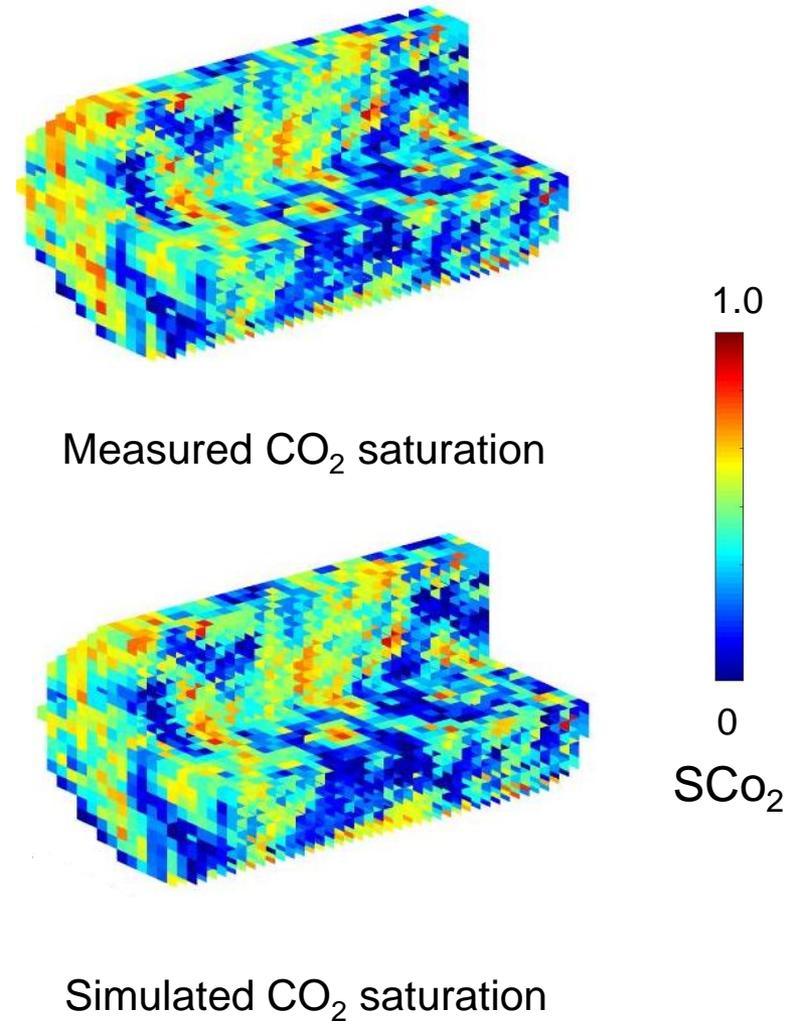
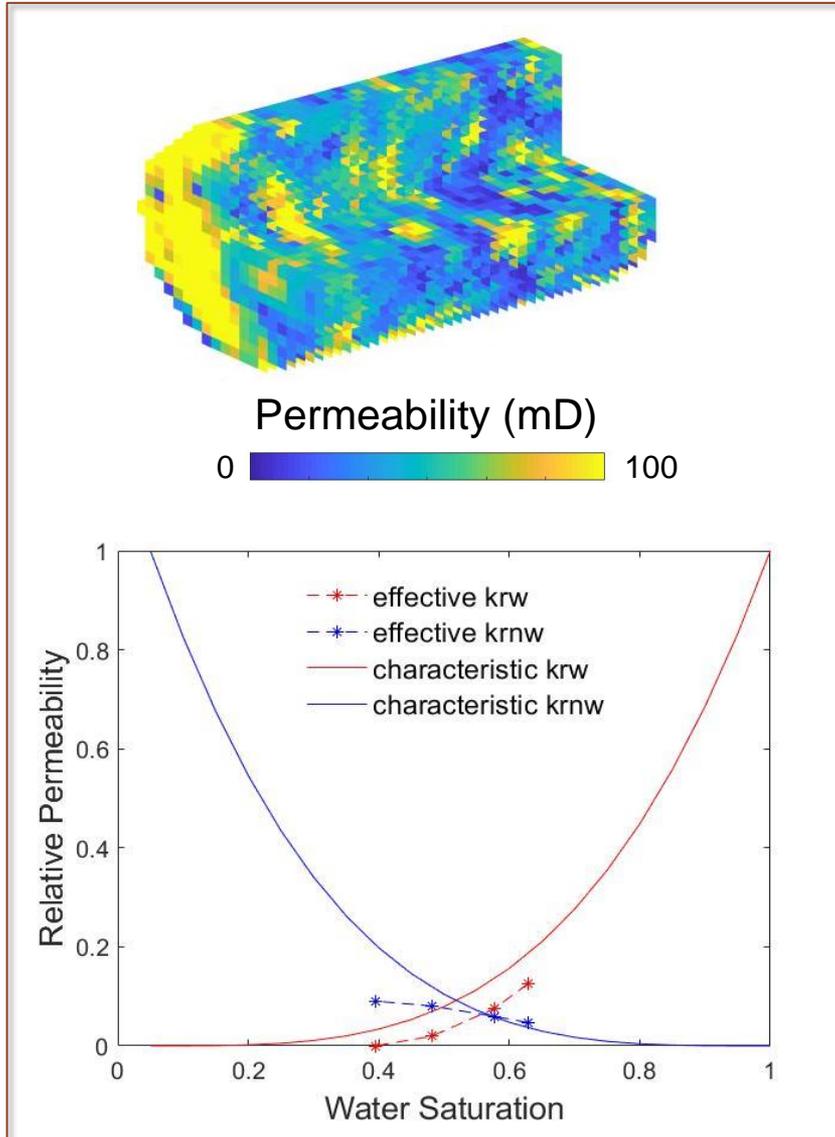
Fig. 2 Workflow of the extended iterative permeability calculation procedure

Can be obtained by experiment in the viscous limit or through history matching

# Numerically obtained absolute permeability field and characteristic relative permeability for Berea (Liver)

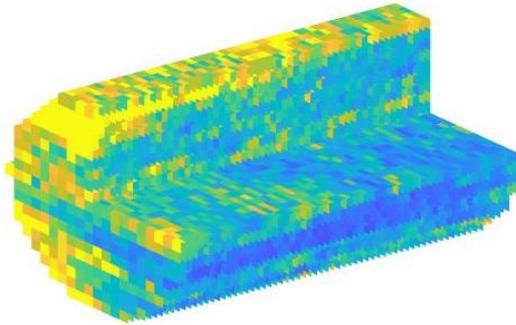


# Numerically obtained absolute permeability field and characteristic relative permeability for the heterogeneous Fontainebleau

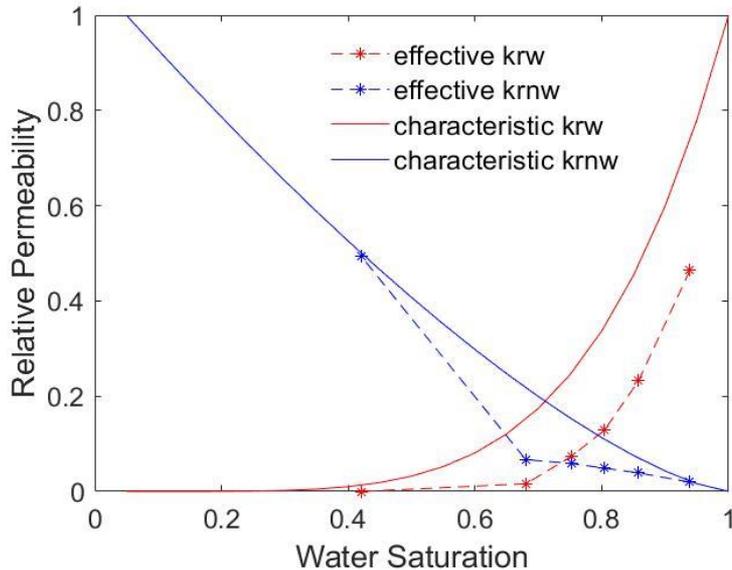


Subcore scale perm field + characteristic rel perm curve can be used to model core-flood tests at different conditions

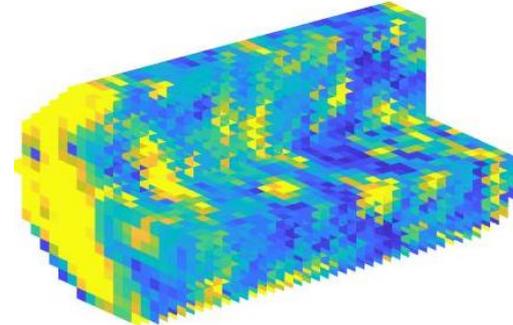
## Berea



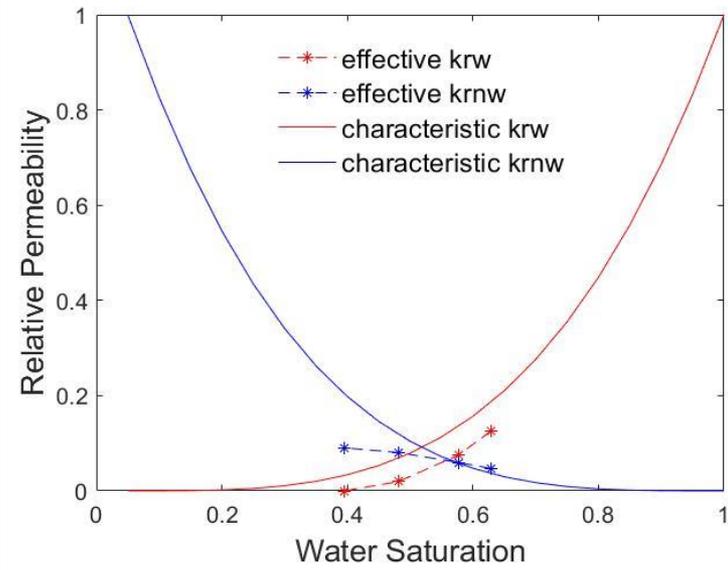
Permeability (mD)  
100 700



## Fontainebleau

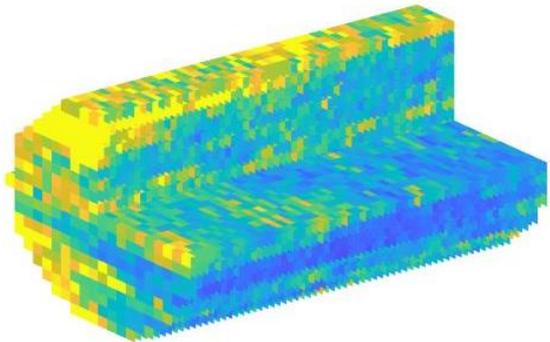


Permeability (mD)  
0 100



# Upscale relative permeability from the voxel to the core scale

Voxel scale



+

Characteristic relative permeability

Core scale



Average Permeability (380 mD)

+

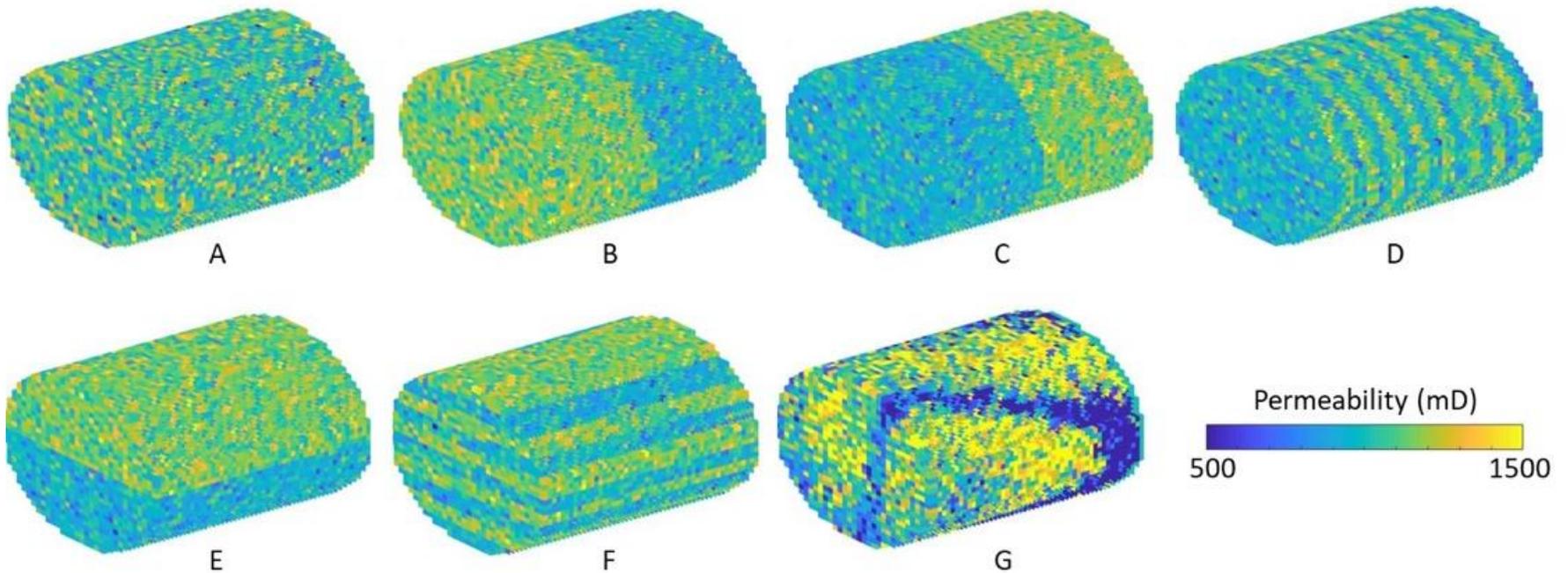
Effective relative permeability

Incorporates subcore scale heterogeneities!

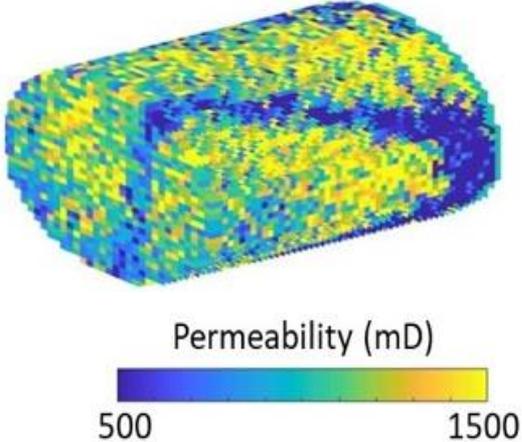
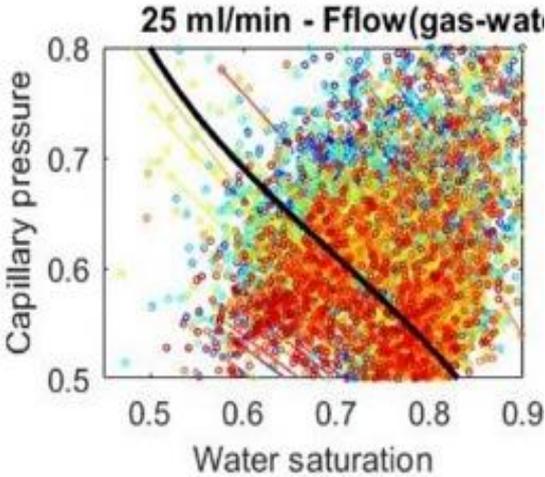
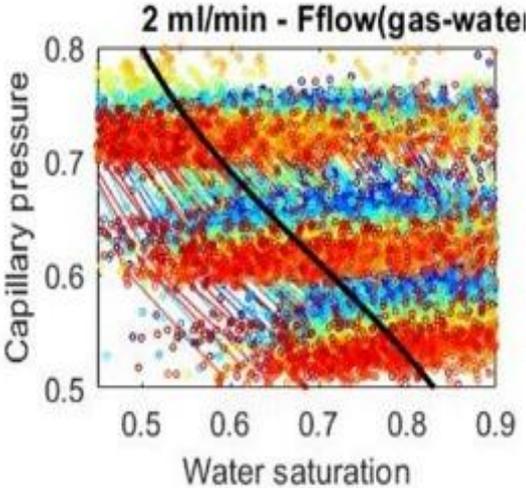


What is the impact of subcore scale heterogeneity on capillary forces?

What is the impact of subcore scale heterogeneity on capillary forces? And how does this impact the relative permeability?

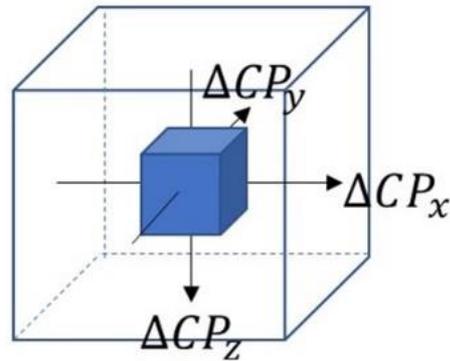


In heterogeneous systems, capillary disequilibrium can exist in the capillary dominated regime

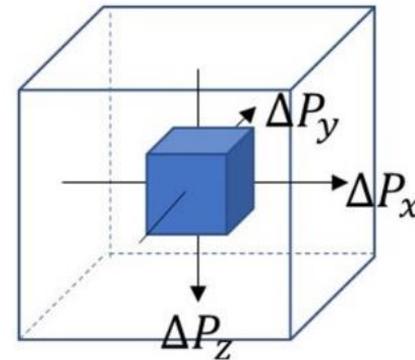


Capillary pressure gradients can result in capillary induced flow

To quantify the impact of capillary induced flow a capillary cross-flow number is calculated:



capillary cross-flow forces

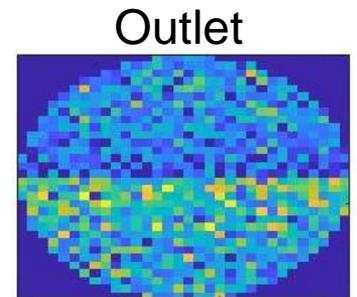
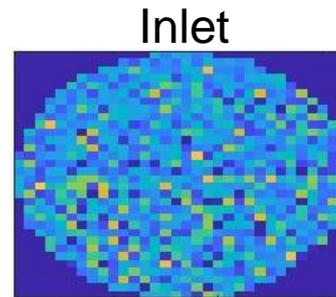
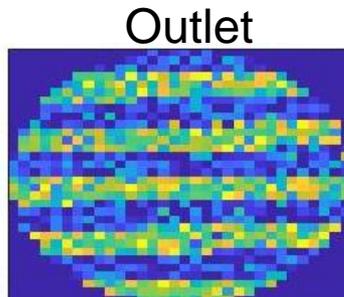
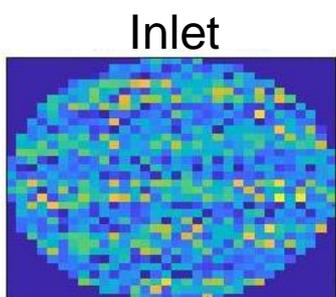
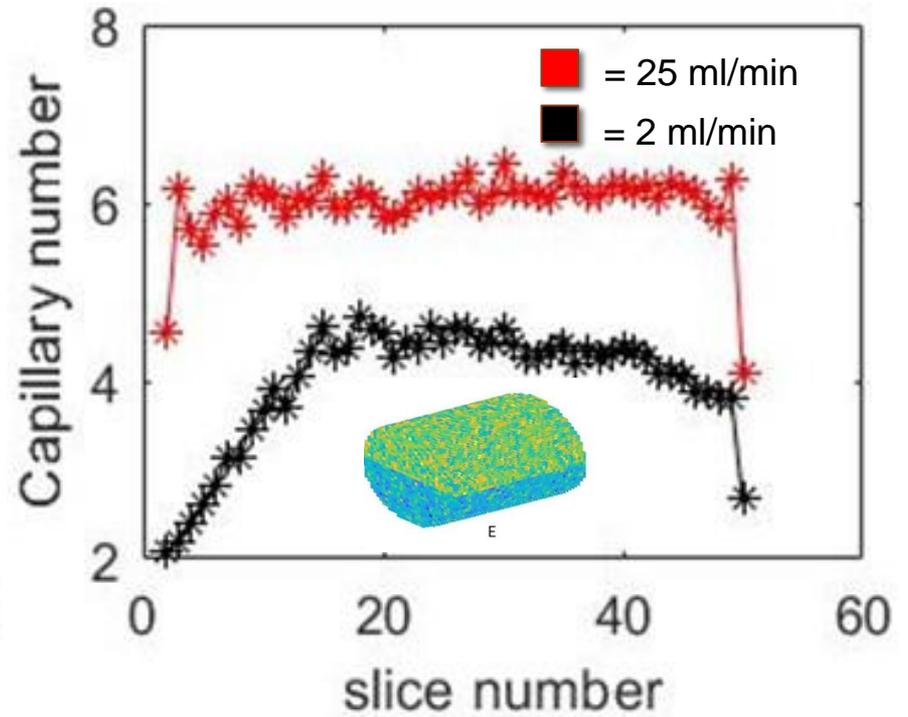
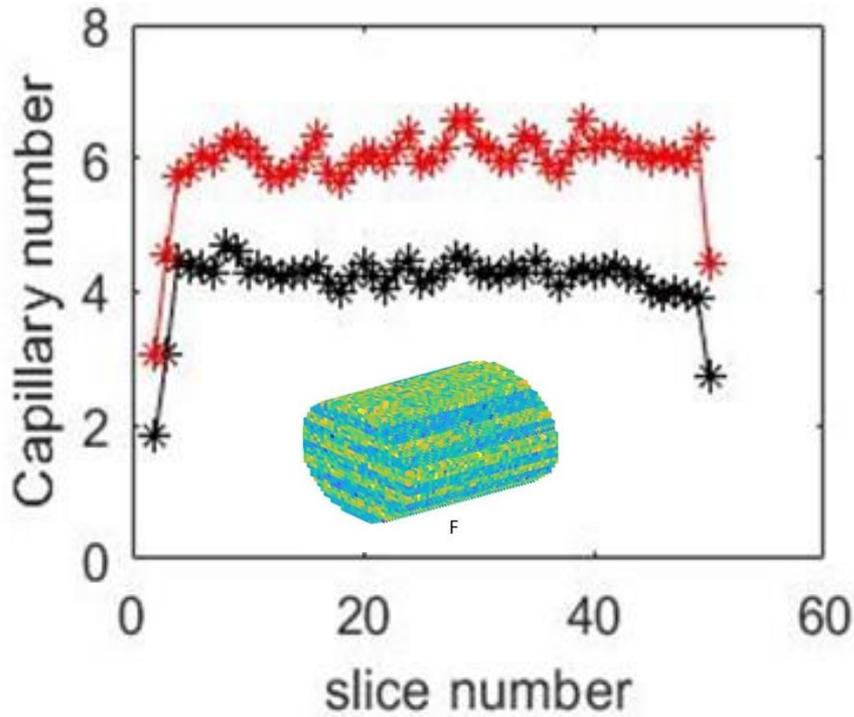


viscous forces

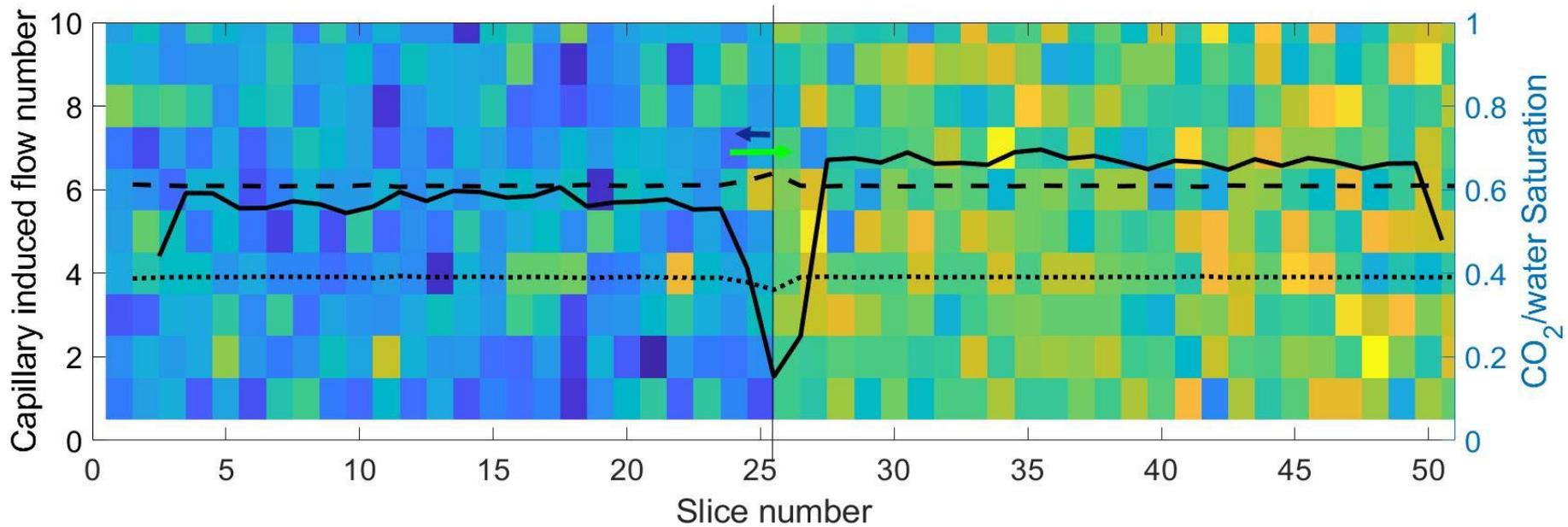
$$N_{cfp} = \frac{\sqrt{\Delta P_x^2 + \Delta P_y^2 + \Delta P_z^2}}{\sqrt{\Delta CP_x^2 + \Delta CP_y^2 + \Delta CP_z^2}}$$

The capillary cross-flow number gives the ratio of the viscous forces to capillary cross-flow forces

# Horizontal layers can lead to cross-flow

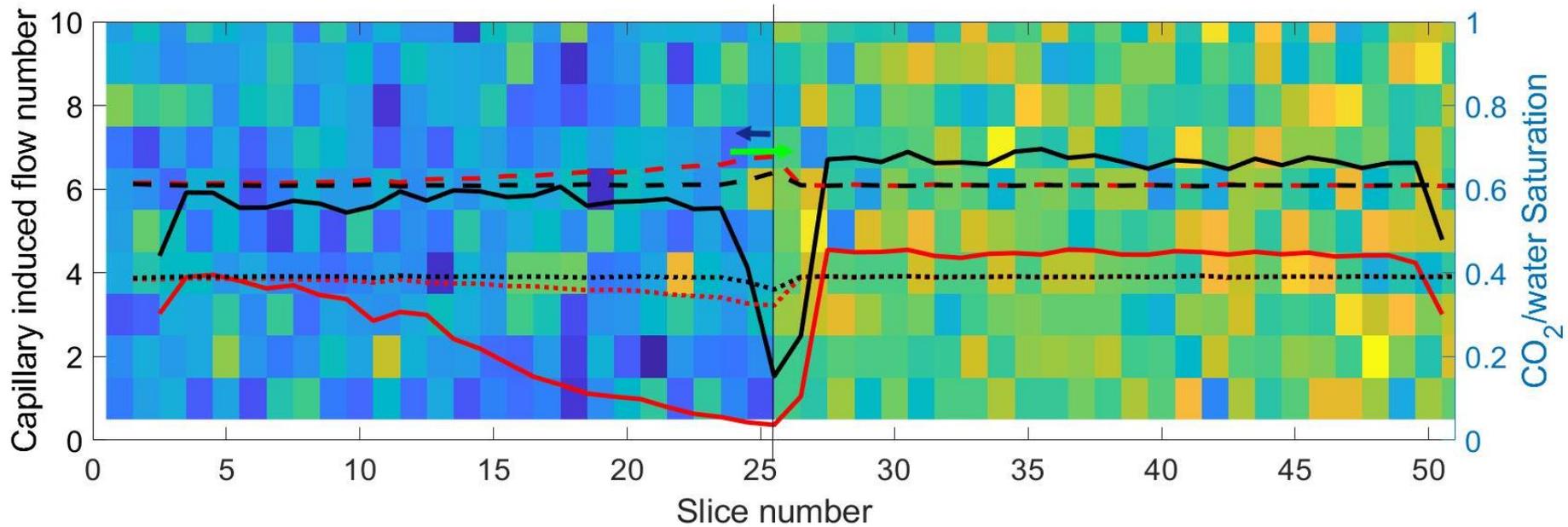


# Cross-flow forces in vertically layered systems



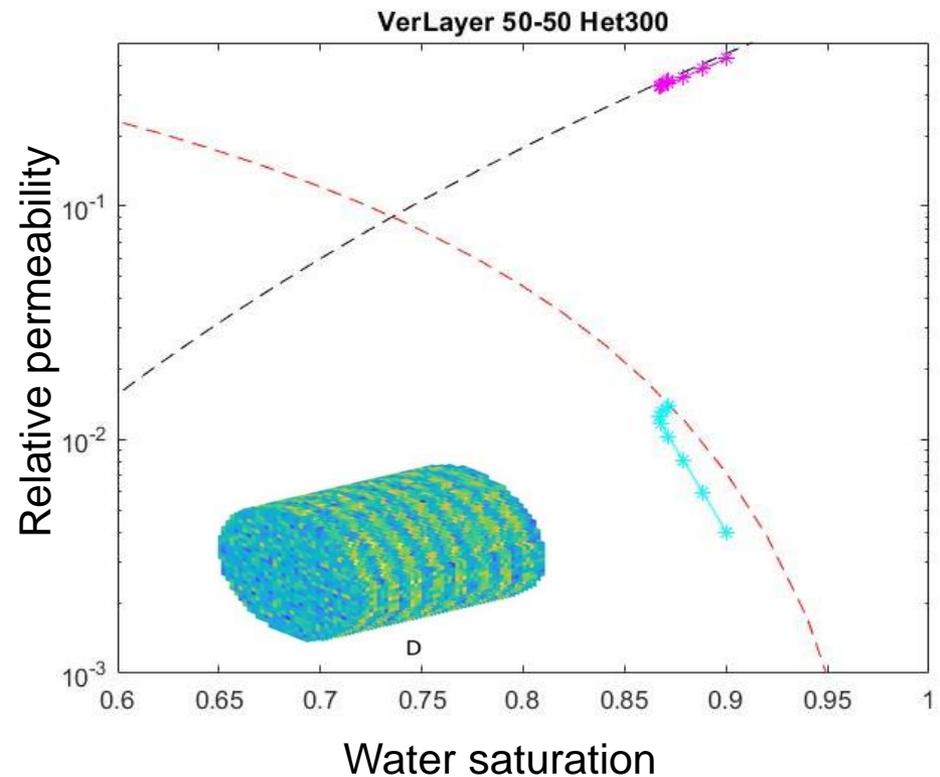
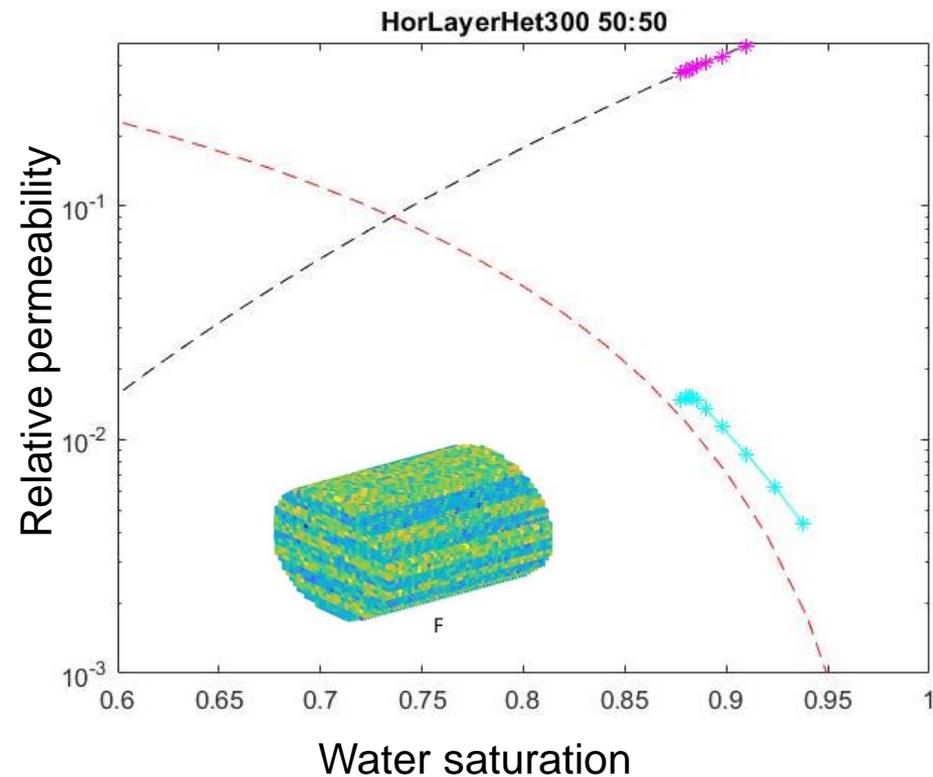
- 25 ml/min - Capillary induced flow number
- - 25 ml/min -  $S_w$
- ..... 25 ml/min -  $S_{CO_2}$

# Cross-flow forces in vertically layered systems



- 2 ml/min - Capillary induced flow number
- 25 ml/min - Capillary induced flow number
- - 2 ml/min -  $S_w$
- ..... 2 ml/min -  $S_{CO_2}$
- - 25 ml/min -  $S_w$
- ..... 25 ml/min -  $S_{CO_2}$

Horizontal layers increase the effective rel perm while vertical layers decrease the effective rel perm



# Conclusions

- The direction of the heterogeneity and the scale of the heterogeneity impact the cross-flow forces and, therefore, impact the capillary pressure and saturation distribution.
- Horizontal layers increase the effective relative permeability which can enhance the spreading of the plume while vertical layers decrease the effective relative permeability.

## Acknowledgement

**The GeoCquest Project** – funded by BHP

**Stanford**

Center for Carbon Storage